## Warm up Problems

For 1 and 2, refer to rhombus QUAD

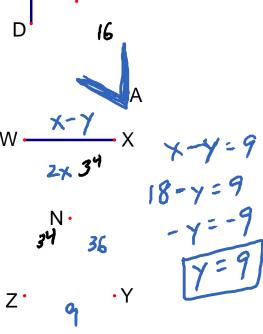
1) If 
$$m \angle DAU = 10x - 6$$
 and  $m \angle UQD = 5x + 9$ , find x.

2) If RA = 16, find QA = 32

For 3 and 4, refer to rectangle WXYZ.

3) If 
$$XN = 34$$
, find  $WY$ . = 68

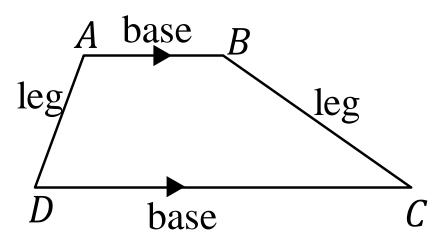
4) If 
$$WN = 2x$$
,  $NY = 36$ ,  $WX = x - y$ , and  $ZY = 9$ , find  $x$  and  $y$ .



## Trapezoids and Kites

Trapezoid: Quadrilateral with one pair of opposite sides parallel

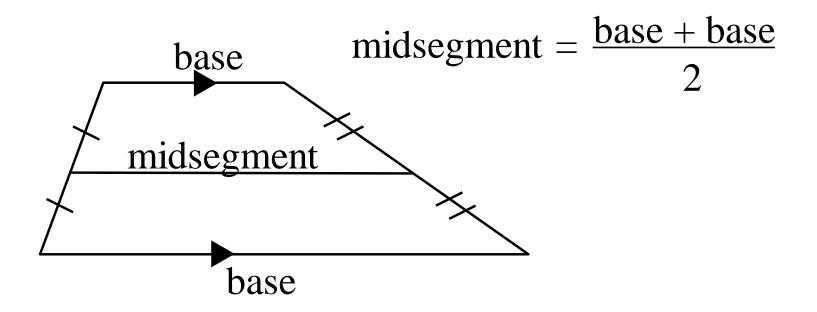
• Same-side interior angles are supplementary



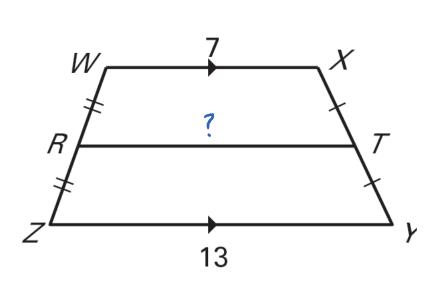
$$m \angle A + m \angle D = 180^{\circ}$$
  
 $m \angle B + m \angle C = 180^{\circ}$ 

### Midsegment of a Trapezoid:

Def. Connects the midpoints of the legs of a trapezoid



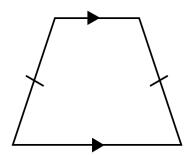
Ex. Find the length of the midsegment.



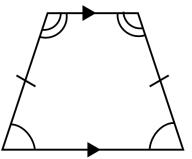
$$\frac{7+13}{2} = \frac{3c}{2} = 10$$

### <u>Isosceles Trapezoid:</u>

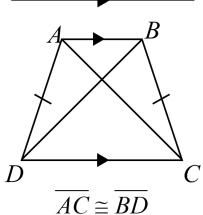
Nonparallel sides (legs) are congruent



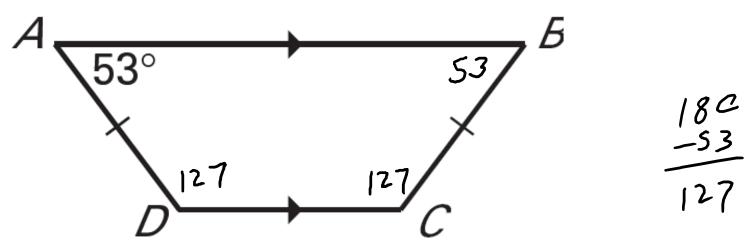
• The base angles are congruent



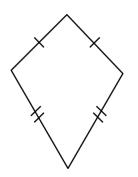
• The diagonals are congruent



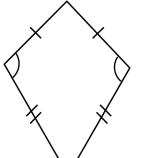
Ex. Find the  $m \angle B$ ,  $m \angle C$ ,  $m \angle D$ .



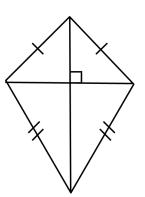
# Kite: Quadrilateral that has two pairs of consecutive congruent sides



• Exactly one pair of opposite angles are ≅

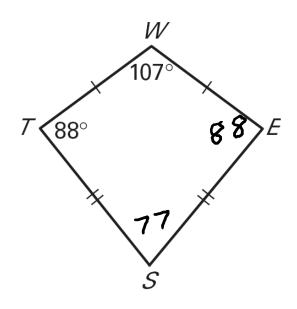


• Its diagonals are perpendicular



• Non-congruent angles are bisected by diagonals

Ex. WEST is a kite. Find the missing angles.

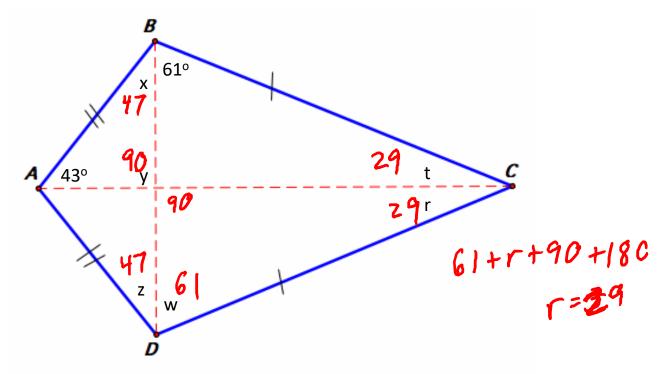


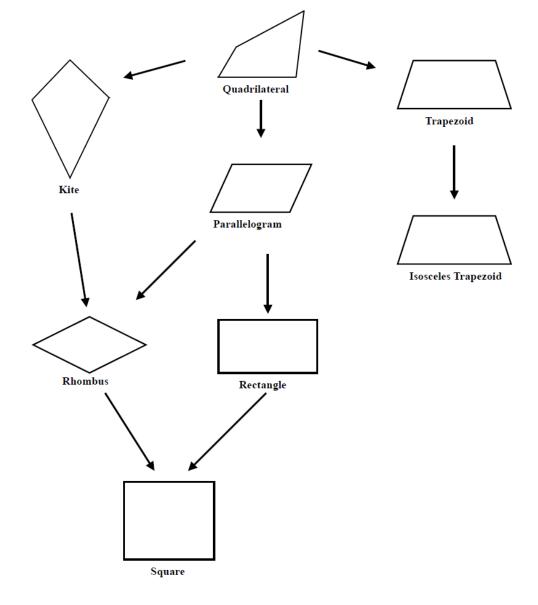
$$88+107+88+5=360$$
  
 $5=77$ 

#### Pencils Down!

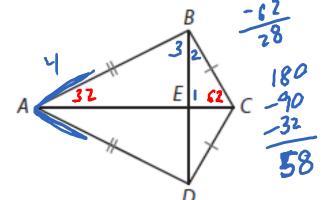
How would you find the missing angles in the kite?

U3190+ X=180 X=47





$$m \angle BAE = 32^{\circ}$$
 18°  $m \angle BCE = 62^{\circ}$  -9°



$$1 m \angle CEB = 90$$

$$2 \text{ m} \angle CBE = 28$$

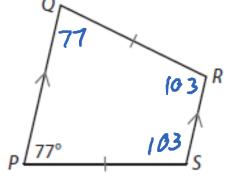
$$3 \text{ m} \angle ABE = 58$$

$$4 \text{ } m \angle BAD = 64$$

2. isos. trap. *PQRS* 

3. isos. trap. 
$$JKLM$$

$$JL = 3y + 6$$
$$KM = 22 - y$$



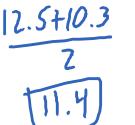
$$3y+6=22-y$$
 $4y+6=22$ 
 $4y=16$ 
 $y=4$ 
 $y=4$ 

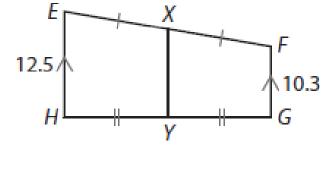
$$m \angle Q =$$

$$m \angle R =$$

$$m \angle S =$$

4. trap *EFGH* with midseg. *XY* 





$$XY =$$